## Preface

This book is an interdisciplinary book: it tries to teach physicists the basic knowledge of combinatorial and stochastic optimization and describes to the computer scientists physical problems and theoretical models in which their optimization algorithms are needed. It is a unique book since it describes theoretical models and practical situation in physics in which optimization problems occur, and it explains from a physicists point of view the sophisticated and highly efficient algorithmic techniques that otherwise can only be found specialized computer science textbooks or even just in research journals. Traditionally, there has always been a strong scientific interaction between physicists and mathematicians in developing physics theories. However, even though numerical computations are now commonplace in physics, no comparable interaction between physicists and computer scientists has been developed. Over the last three decades the design and the analysis of algorithms for decision and optimization problems have evolved rapidly. Most of the active transfer of the results was to economics and engineering and many algorithmic developments were motivated by applications in these areas.

The few interactions between physicists and computer scientists were often successful and provided new insights in both fields. For example, in one direction, the algorithmic community has profited from the introduction of general purpose optimization tools like the simulated annealing technique that originated in the physics community. In the opposite direction, algorithms in linear, nonlinear, and discrete optimization sometimes have the potential to be useful tools in physics, in particular in the study of strongly disordered, amorphous and glassy materials. These systems have in common a highly non-trivial minimal energy configuration, whose characteristic features dominate the physics at low temperatures. For a theoretical understanding the knowledge of the so called "ground states" of model Hamiltonians, or optimal solutions of appropriate cost functions, is mandatory. To this end an efficient algorithm, applicable to reasonably sized instances, is a necessary condition.

The list of interesting physical problems in this context is long, it ranges from disordered magnets, structural glasses and superconductors through polymers, membranes, and proteins to neural networks. The predominant method used by physicists to study these questions numerically are Monte Carlo simulations and/or simulated annealing. These methods are doomed to fail in the most interesting situations. But, as pointed out above, many useful results in optimization algorithms research never reach the physics community, and interesting computational problems in physics do not come to the attention of algorithm designers. We therefore think that there is a definite need In preparing this book we benefited greatly from many collaborations and discussions with many of our colleagues. We would like to thank Timo Aspelmeier, Wolfgang Bartel, Ian Campbell, Martin Feix, Martin Garcia, Ilia Grigorenko, Martin Weigt, and Annette Zippelius for critical reading of the manuscript, many helpful discussions and other manifold types of support. Furthermore, we have profited very much from fruitful collaborations and/or interesting discussions with Mikko Alava, Jürgen Bendisch, Ulrich Blasum, Eytan Domany, Phil Duxbury, Dieter Heermann, Guy Hed, Heinz Horner, Jermoe Houdayer, Michael Jünger, Naoki Kawashima, Jens Kisker, Reimer Kühn, Andreas Linke, Olivier Martin, Alan Middleton, Cristian Moukarzel, Jae-Dong Noh, Uli Nowak, Matthias Otto, Raja Paul, Frank Pfeiffer, Gerhard Reinelt, Federico Ricci-Tersenghi, Giovanni Rinaldi, Roland Schorr, Eira Seppälaä, Klaus Usadel, and Peter Young. We are particularly indebted to Michael Baer, Vera Dederichs and Cornelia Reinemuth from Wiley-VCH for the excellent cooperation and Judith Egan-Shuttler for the copy editing.

Work on this book was carried out at the University of the Saarland, University of Göttingen, Forschungszentrum Jülich and the University of California at Santa Cruz and we would like to acknowledge financial support from the Deutsche Forschungsgeimeinschaft (DFG) and the European Science Foundation (ESF).

Santa Cruz and Saarbrücken May 2001 Alexander K. Hartmann and Heiko Rieger